



Quantifying the impact of surfactants on cloud condensation nuclei activity with a particle-resolved model

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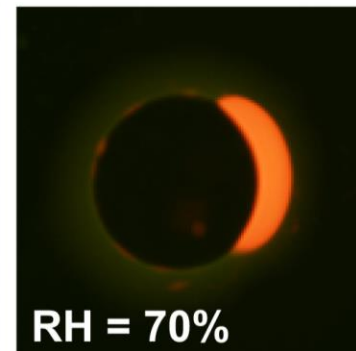
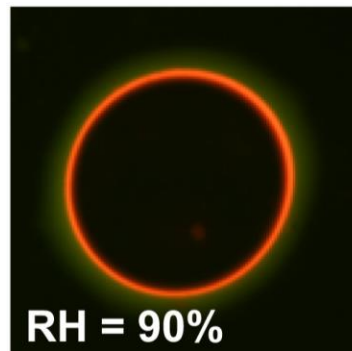
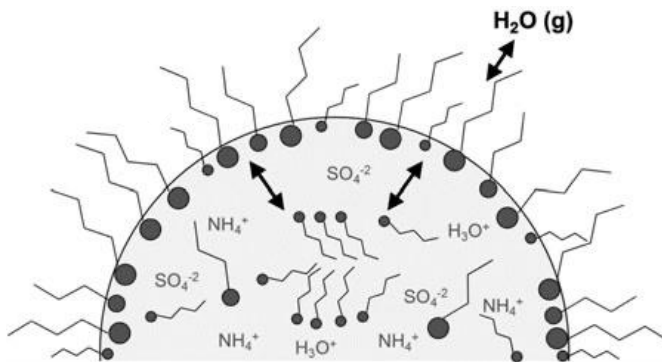
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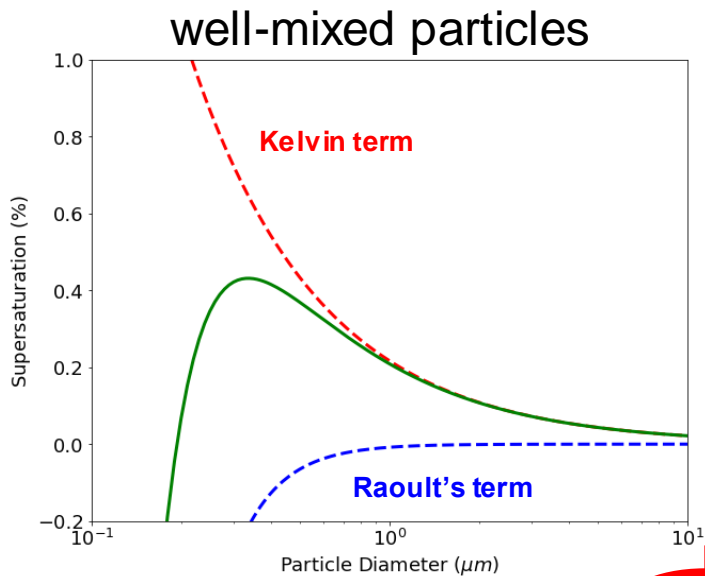
What are surfactants?

“Surfactants are chemicals that reduce surface tension of medium where it dissolved and/or interfacial tension with different phases”



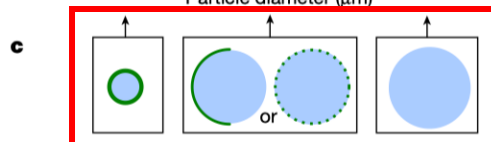
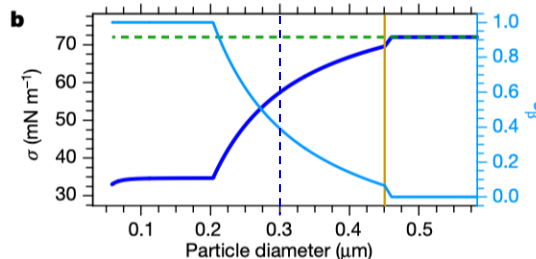
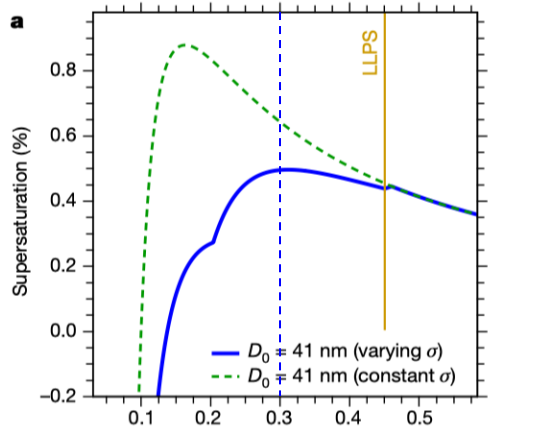
- Surfactants are partitioned to surface.
- Full cover as organic films; partially engulfed inorganic core.
- Surfactants can impact CCN activity of aerosols.

Activation process for different particle mixing rules



$$S(D) = \frac{D^3 - d^3}{D^3 - (1 - \kappa)d^3} \exp\left(\frac{4\sigma_{s/a} M_w}{RT\rho_w D}\right)$$

$$\sigma_{s/a} = \sigma_w$$

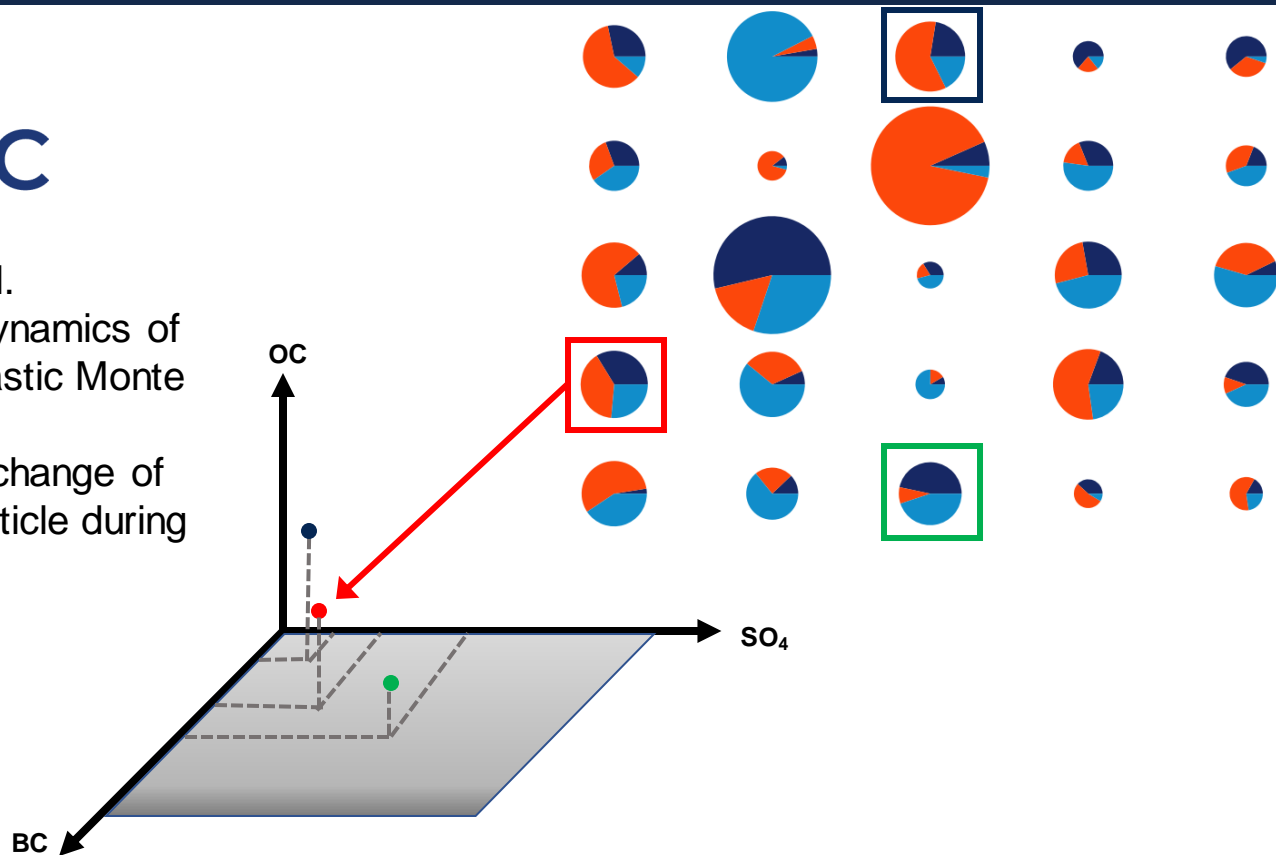


particle
with film

Particle-resolved aerosol model PartMC-MOSAIC



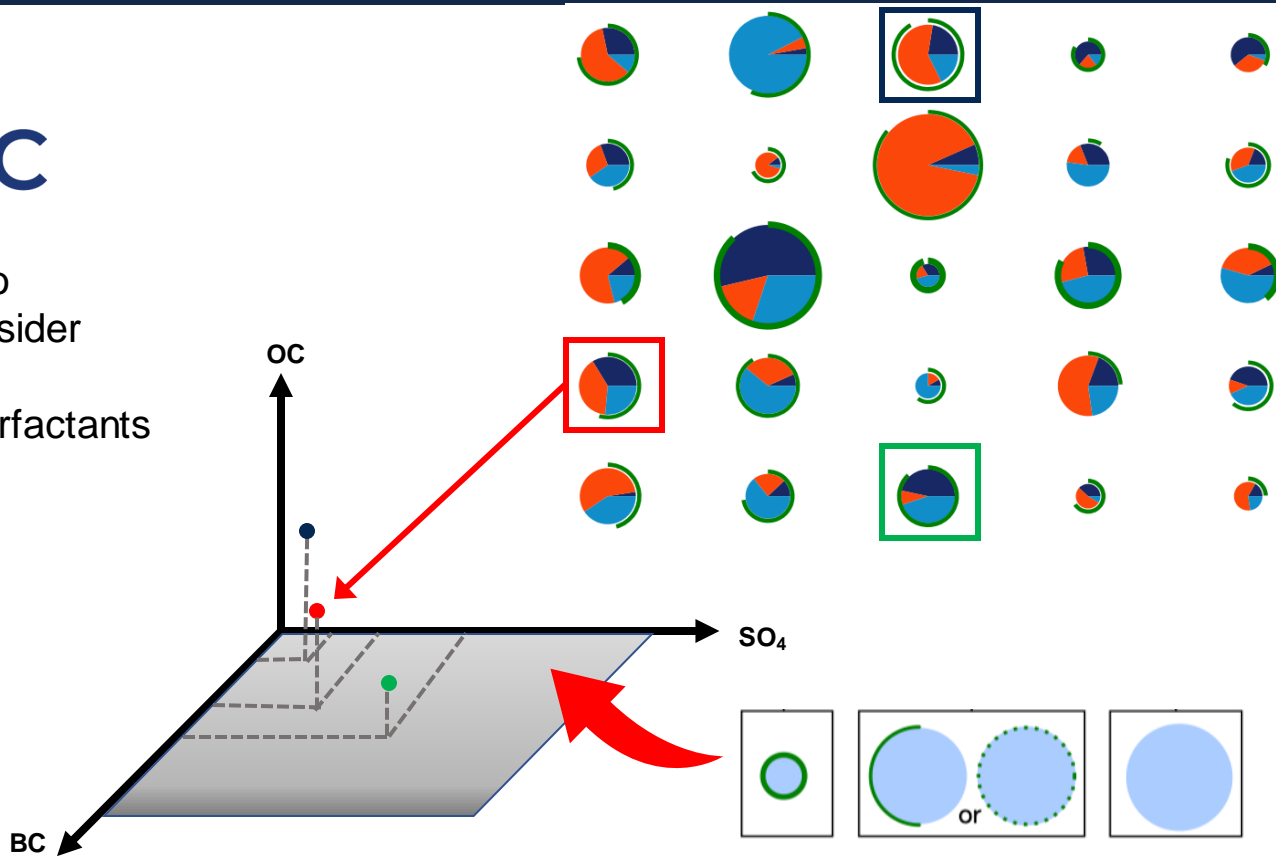
- A Lagrangian box model.
- PartMC simulates the dynamics of an aerosol with a stochastic Monte Carlo approach.
- MOSAIC simulates the change of composition of each particle during the evolution.



Our goal of this research

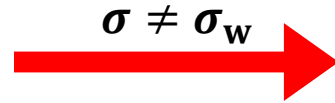
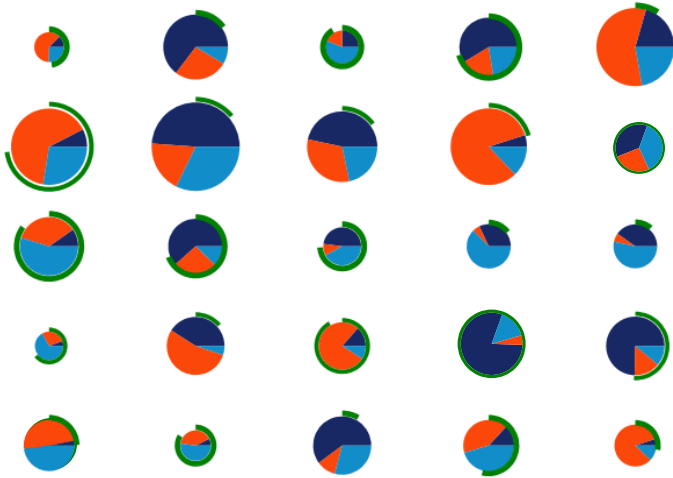


- Implement a method into PartMC-MOSAIC to consider surfactants
- Quantifying impact of surfactants on CCN activity



How to represent surface tension for each particle?

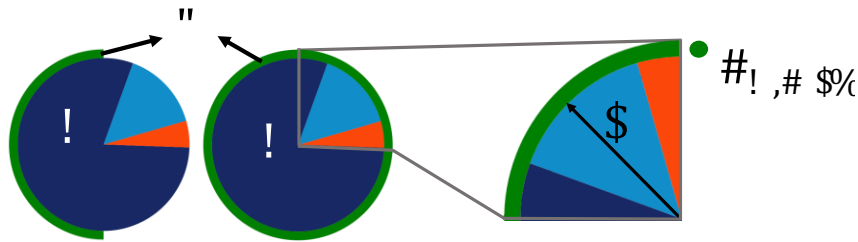
Surfactants impact surface tension of each particles, thus not constant surface tension (CST) anymore.



$$S(D) = \frac{D^3 - d^3}{D^3 - (1 - \kappa)d^3} \exp\left(\frac{4\sigma M_w}{RT\rho_w D}\right)$$

$\sigma ?$

Effective surface tension (EST) method



$$\sigma(D) = (1 - C_{\beta})\sigma_{\alpha} + C_{\beta}\sigma_{\beta}$$

Effective surface tension

- Morphology Assumption**
Liquid-Liquid Phase Separation (LLPS)
Core: inorganic-rich phase α
Shell: organic-rich phase β
- Minimum Shell Thickness**
phase β must be at least of a certain thickness
 $\delta_{\beta, min} \in [0.16, 0.3] \text{ nm}$
- Surface Coverage**
 $C_{\beta} = \min \left[\frac{V_{\beta}}{V_{\delta}}, 1 \right]$
Shell volume: $V_{\delta} = \frac{4}{3} \pi [(r + \delta_{\beta, min})^3 - r^3]$

Finding root for new critical supersaturation

$$S(D) = \frac{D^3 - d^3}{D^3 - (1 - \kappa)d^3} \exp\left(\frac{4\sigma_w M_w}{RT\rho_w D}\right)$$

$$\frac{\partial S(D)}{\partial D} = \frac{-A f(D)}{D^2 (D^3 - (1 - \kappa)d^3)^2} \exp\left(\frac{A}{D}\right) = 0$$

$$f(D) = D^6 - \frac{3d^3\kappa}{A} D^4 - (2 - \kappa)d^3 D^3 + (1 - \kappa)d^6 = 0$$

$$A = \frac{4\sigma_w M_w}{RT\rho_w}$$

$$\frac{\partial f(D)}{\partial D} = 6D^5 - \frac{12d^3\kappa}{A} D^3 - 3(2 - \kappa)d^3 D^2$$

Newton's iteration

critical diameter D_c

critical supersaturation S_c

$$S(D) = \frac{D^3 - d^3}{D^3 - (1 - \kappa)d^3} \exp\left(\frac{4\sigma(D)M_w}{RT\rho_w D}\right)$$

$$\frac{\partial S(D)}{\partial D} = \frac{-\tilde{A}\tilde{f}(D)}{(D^3 - (1 - \kappa)d^3)^2 D^2} \exp\left(\frac{\tilde{A}\sigma(D)}{D}\right)$$

$$\tilde{f}(D) = R(D)(D^6 - (2 - \kappa)d^3 D^3 + (1 - \kappa)d^6) - \frac{3d^3\kappa}{\tilde{A}} D^4$$

$$R(D) = \sigma(D) - D \frac{\partial \sigma(D)}{\partial D}$$

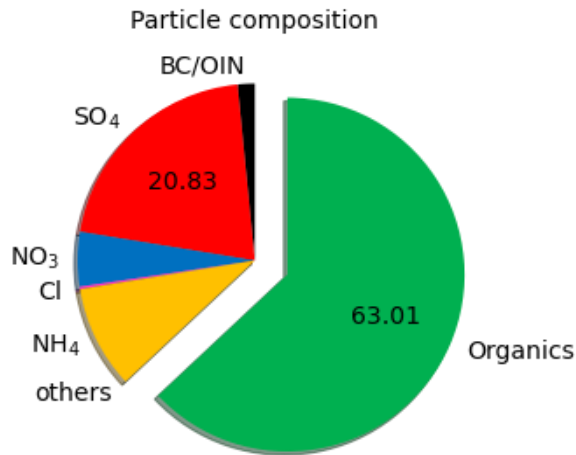
$$\tilde{A} = \frac{4M_w}{RT\rho_w}$$

$$\frac{\partial \tilde{f}(D)}{\partial D} = \frac{\partial R(D)}{\partial D} (D^6 - (2 - \kappa)d^3 D^3 + (1 - \kappa)d^6) + R(D)(6D^5 - 3(2 - \kappa)d^3 D^2) - \frac{12d^3\kappa}{\tilde{A}} D^3$$

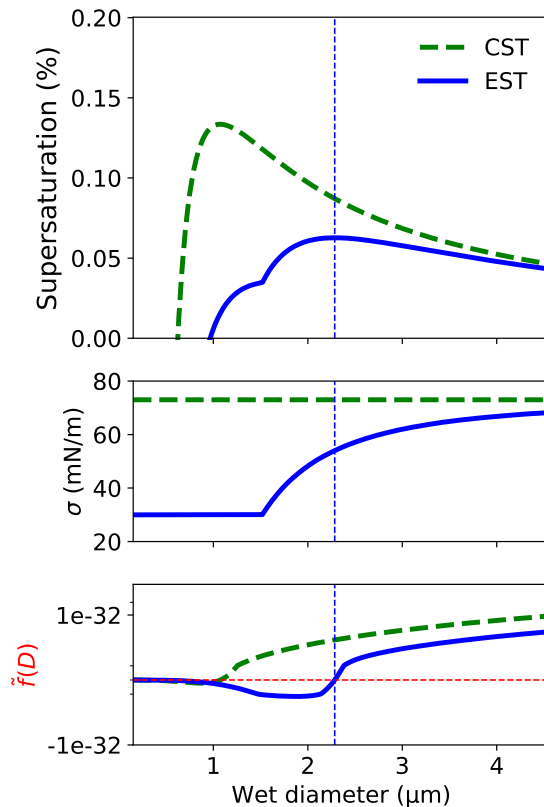
critical diameter D_c, S_c

Comparison of Köhler curve with/out EST

Example case

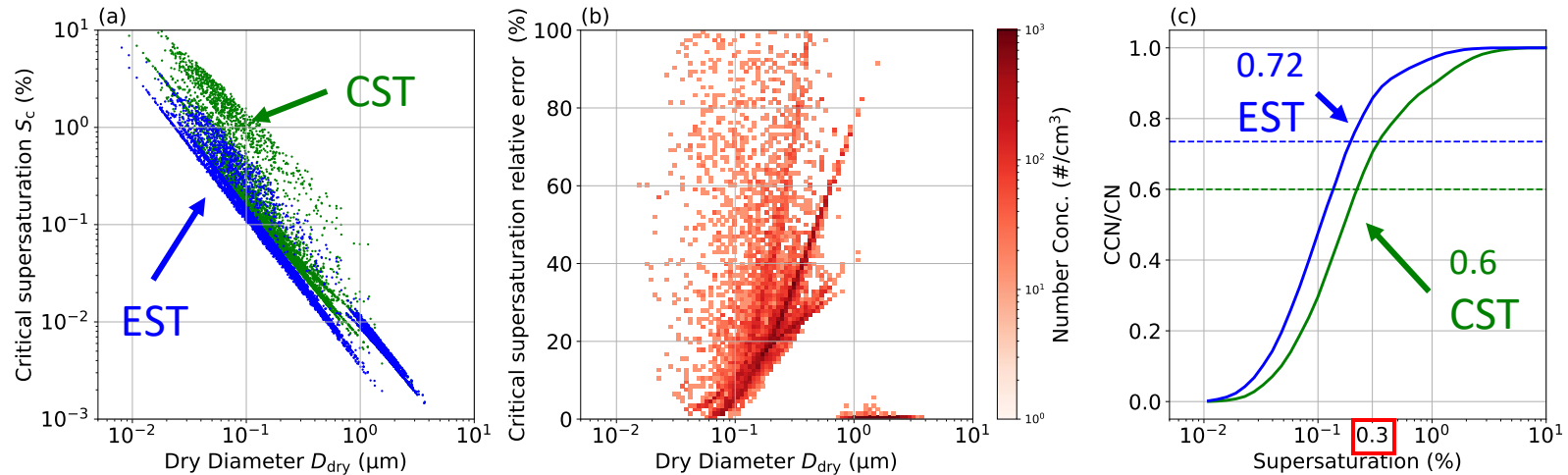


- A 0.15 μm dry particle with composition shown in pie chart.
- critical supersaturation in this case lowered by $\sim 45\%$.
- σ at critical supersaturation is ~ 54 mN/m.



Impact on per-particle quantities for a single hour

A 24h idealized urban plume scenario simulation considering a population of 10000 computational particles. Time = 12h here.



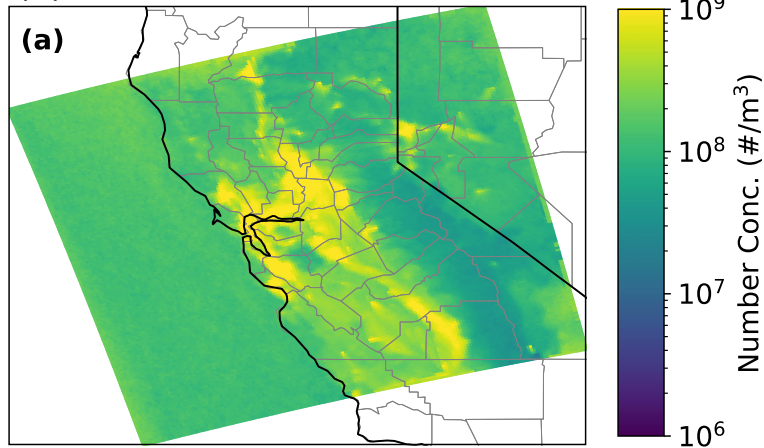
- Comparison of S_c as a function of D_{dry} with CST and EST for $t = 12\text{h}$.
- Relative error in critical supersaturation with an average of 57%.
- Activation ratio at 0.3% is 0.73 for EST, while 0.6 for CST.

Impacts on regional scale - near surface

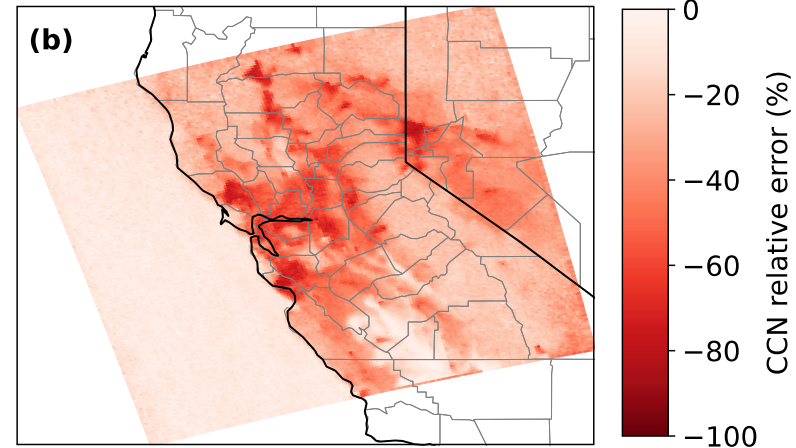
Apply EST method to WRF-PartMC simulation results.

$$\varepsilon_{CCN} = \frac{CCN_{EST} - CCN_{CST}}{CCN_{EST}}$$

(a) total number concentration

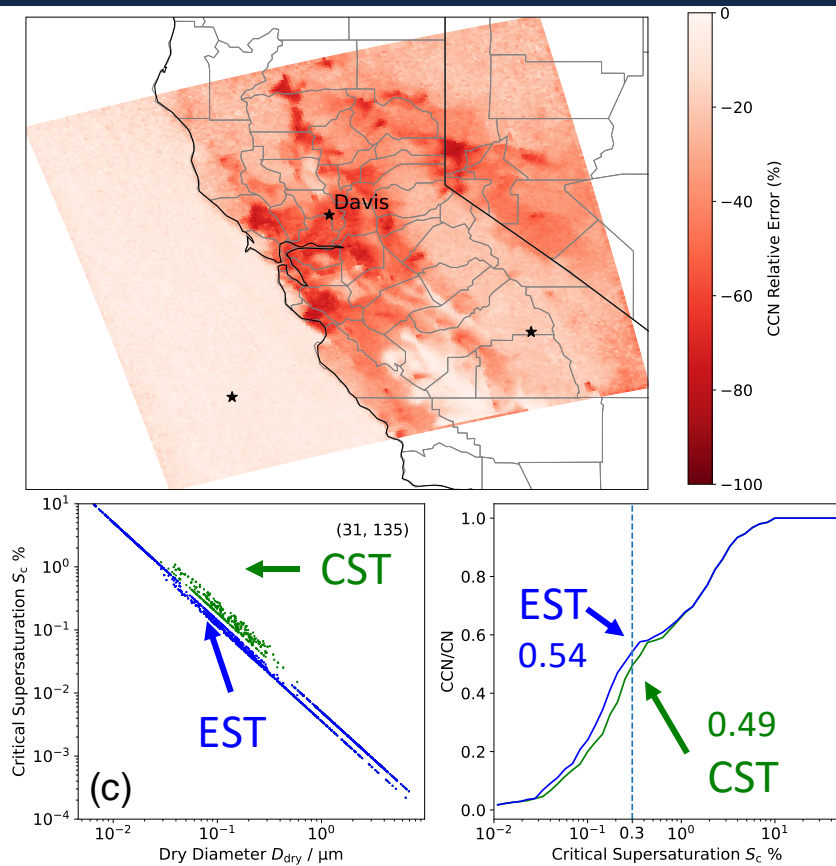
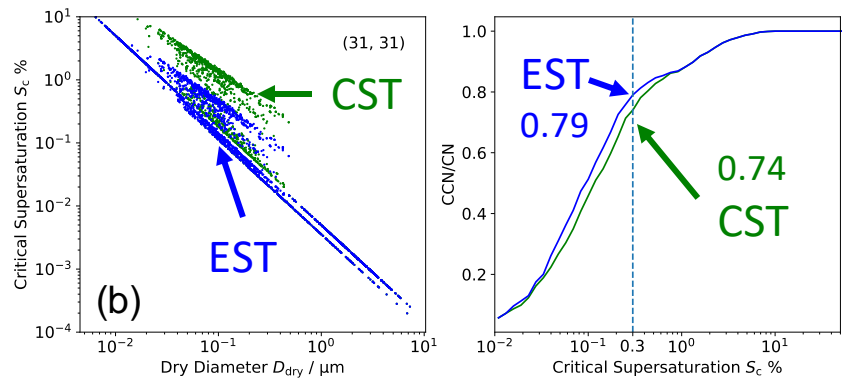
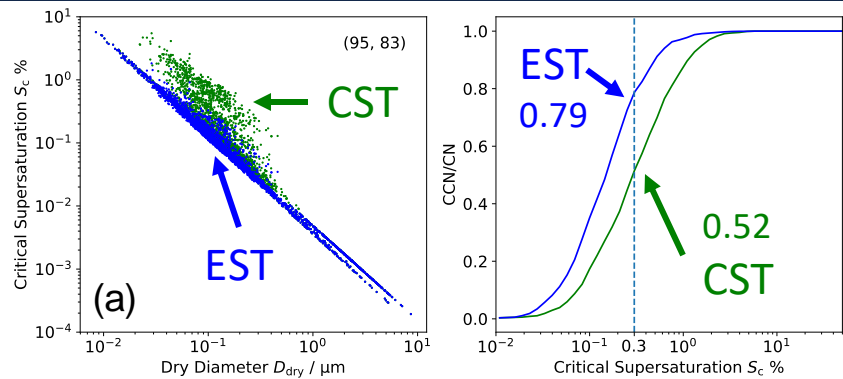


(b) CCN relative error

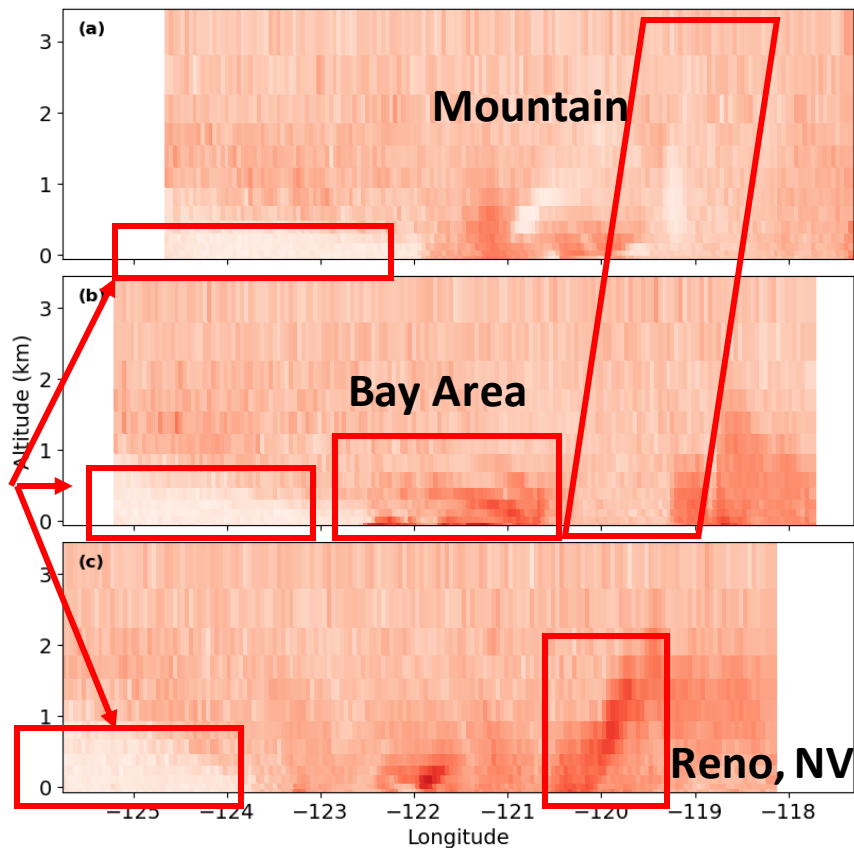
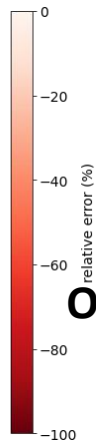
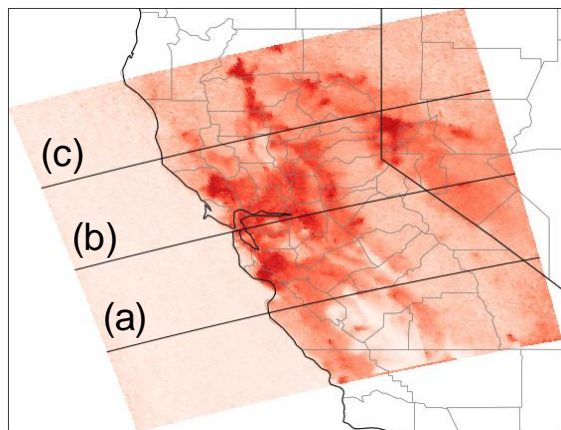


- The average relative error is ~24%.
- The highest relative error is ~85%.

Impacts on regional scale – different locations

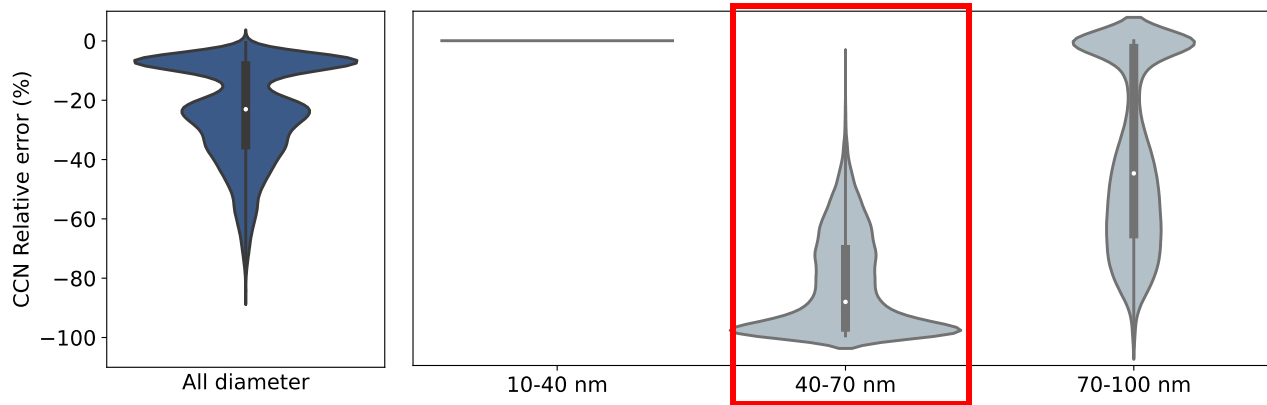


Impacts on regional scale - vertical level



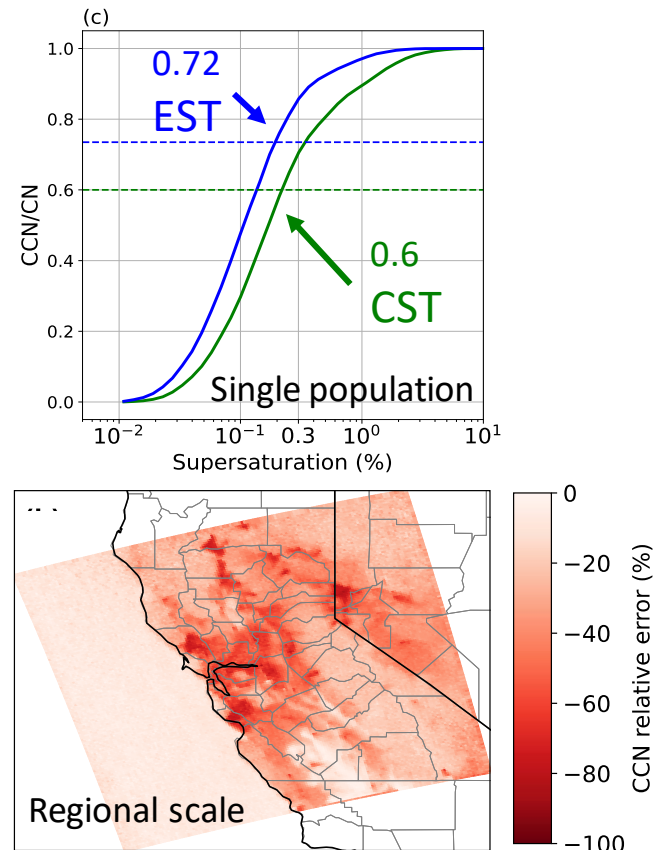
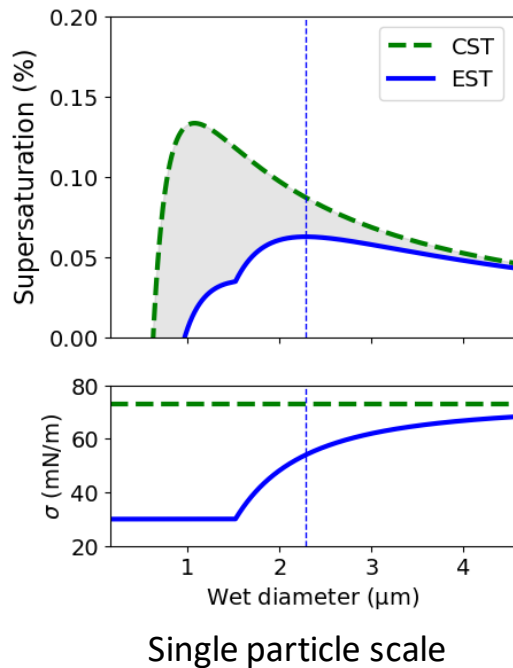
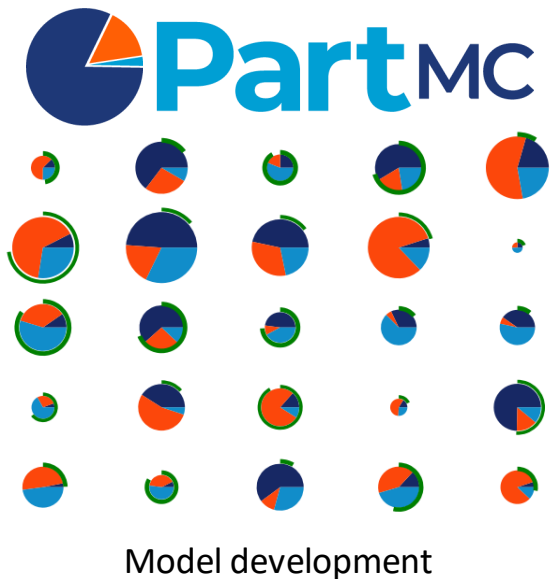
Impacts on regional scale – PDF

Apply PDF to CCN concentration relative error for whole simulation region



- PDF for all diameter: largest frequency occurs at ~10%.
- The greatest relative error in CCN concentration occurs within the 40 – 70 nm size interval.

Conclusions



Future work

- Previous κ -Köhler theory provides upper limit.
- Current effective surface tension method provides lower limit.
- Apply O:C ratio to replace LLPS assumption.
- Refine SOA scheme to capture species with high O:C ratio.



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Thank you! Questions?

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